

SUMMARY OF SECTION 3.2

THEOREM - IF U, V AND W ARE VECTORS IN 2- OR 3-SPACE AND k AND L ARE SCALARS, THEN

$$A) U + V = V + U \quad B) U + (V + W) = (U + V) + W$$

$$C) U + 0 = 0 + U = U \quad D) U + (-U) = 0$$

$$E) k(LU) = (kL)U \quad F) k(U + V) = kU + kV$$

$$G) (k + L)U = kU + LU \quad H) 1 \cdot U = U$$

THE LENGTH OF A VECTOR U IS OFTEN CALLED THE NORM OF U AND IS DENOTED $\|U\|$.

$$\text{IF } U = (U_1, U_2), \text{ THEN } \|U\| = \sqrt{U_1^2 + U_2^2}.$$

$$\text{IF } U = (U_1, U_2, U_3), \text{ THEN } \|U\| = \sqrt{U_1^2 + U_2^2 + U_3^2}.$$

A VECTOR OF LENGTH 1 IS CALLED A UNIT VECTOR.

WE HAVE THE EQUALITY $\|kU\| = |k| \|U\|$.

RECALL THAT THE DISTANCE BETWEEN POINTS

$$(x_1, y_1) \text{ AND } (x_2, y_2) \text{ IS } \sqrt{(x_1 - x_2)^2 + (y_1 - y_2)^2}$$

WHILE THE DISTANCE BETWEEN (x_1, y_1, z_1) & (x_2, y_2, z_2)

$$\text{IS } \sqrt{(x_1 - x_2)^2 + (y_1 - y_2)^2 + (z_1 - z_2)^2}.$$