

7.1 / 1. a) $\lim_{x \rightarrow \infty} (1.1)^x = \text{undefined}$, because multiplying

by 1.1 will add $\frac{1}{10}$ of the previous number to that number. Since we start with 1.1, we're always adding at least .1 for every x .

Thus $(1.1)^x$ just keeps getting bigger.

b) $\lim_{x \rightarrow \infty} (.9)^x = 0$, because $.9^x = \frac{9^x}{10^x}$, and 10^x is always bigger than 9^x , and the difference only gets bigger as x increases, so the whole expression goes to 0.

c) $\lim_{x \rightarrow 0} (1.1)^x = 1$. Just evaluate it directly.

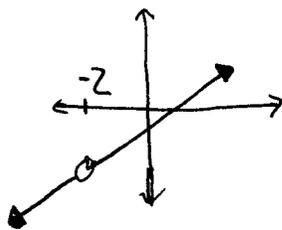
d) $\lim_{x \rightarrow -\infty} (1.1)^x = \lim_{x \rightarrow \infty} \frac{1}{(1.1)^x} = 0$. See 1a) to know $(1.1)^x$ just keeps getting bigger.

e) $\lim_{x \rightarrow -\infty} (.9)^x = \text{undefined}$, since $\lim_{x \rightarrow -\infty} (.9)^x = \lim_{x \rightarrow \infty} \frac{1}{(.9)^x}$ and we've already decided $(.9)^x$ goes to 0, so... there you have it.

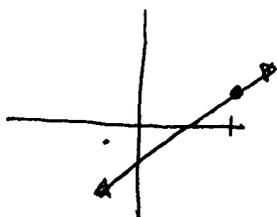
f) From the data we've collected, it looks like

$$\lim_{x \rightarrow \infty} b^x = \begin{cases} \text{undefined} & \text{for } b > 1 \\ 1 & \text{for } b = 1 \\ 0 & \text{for } b < 1 \end{cases}$$

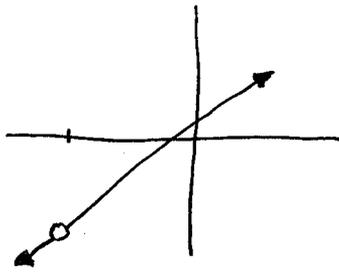
3 a) $\lim_{h \rightarrow -2} \frac{(h-3)(h+2)}{h+2} = -5$



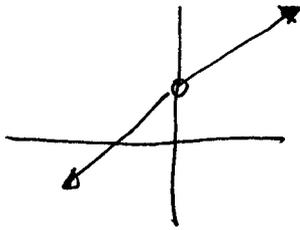
b) $\lim_{x \rightarrow 5} \frac{x^2 - 25}{x + 5} = 0$



$$c) \lim_{x \rightarrow -5} \frac{x^2 - 25}{x + 5} = -10$$



$$d) \lim_{t \rightarrow 0} \frac{t^2 + \pi t}{t} = \pi$$



4. a) Random guess: e

b) 2.718281828459045...

20. a) $f(x) = x + 1$

b) $g(x) = x^2 - 1$

7.2 10. a) $\lim_{x \rightarrow -\infty} f(x) = \infty$

b) since $\lim_{x \rightarrow 7^+} f(x) \neq \lim_{x \rightarrow 7^-} f(x)$, the limit doesn't exist.

c) -1

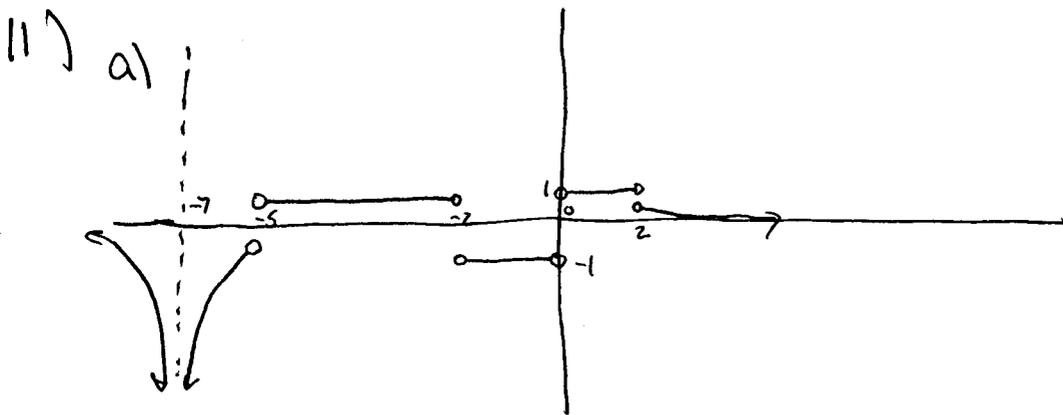
d) doesn't exist

e) 2

f) 2

g) 1

h) 0



b) f' is undefined at $-7, -5, -2, 0,$ and 2

c) i) 0

ii) -1

iii) -1

iv) doesn't exist

v) $-\infty$

vi) $-\infty$

14. False: Take $f(x) = \frac{(x)(x-2)}{x-2}$. In this case $f(2)$ is undefined, but $\lim_{x \rightarrow 2} f(x) = 2$.