



In Class Exercises (ICE) - 4/10/01

The fastest man in the world is currently Maurice “The Kansas Cannonball” Green (see Figure 1¹). In 1999, Mr. Green broke the world record in the men’s 100m, with a time of 9.79s. Figure 2 shows the velocity-time graph for a race that Mr. Green won at the 1997 World Championships in Athens, Greece.



Figure 1: Maurice “The Kansas Cannonball” Green

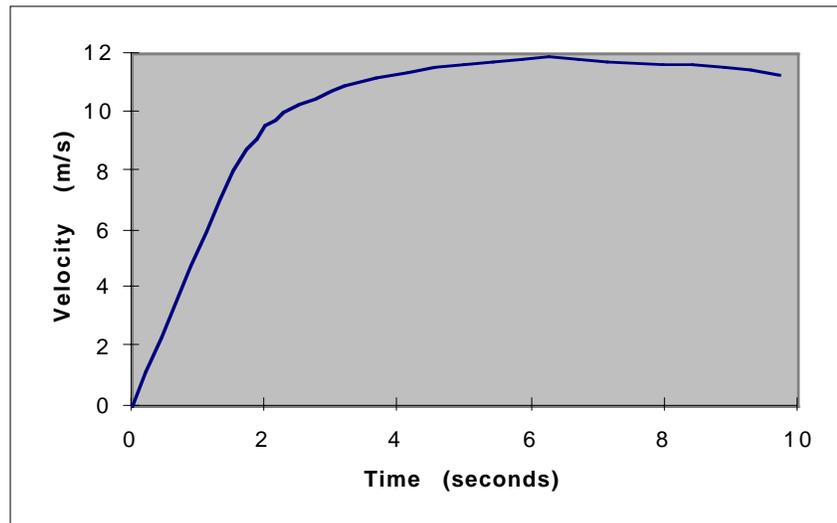


Figure 2: Velocity-time graph for Maurice Green during a race at the 1997 World Championships.

- Based on the appearance of Figure 2, what athletic event do you think this velocity-time graph represents?
- Use your ideas of the relationship between distance traveled, speed and time, along with Figure 2, to check your hunch.

The graph shown in Figure 2 is quite accurately represented by the function:

$$v(t) = 0.046 \cdot t^3 - 0.925 \cdot t^2 + 5.811 \cdot t + 0.369.$$

¹ Image Source: <http://www.pulsecheck.com/>

You can use your calculator to approximate²³ the area under a curve, as illustrated in Figures 3 through 8 (below). These instructions apply to a TI-82 or TI-83.

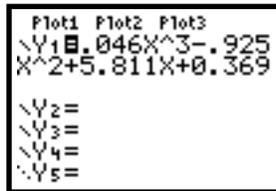


Figure 3: Enter the function that you are interested in.

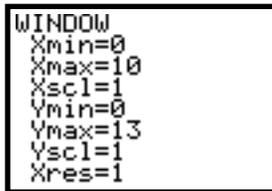


Figure 4: Set the viewing window to display the portion of the graph you want.

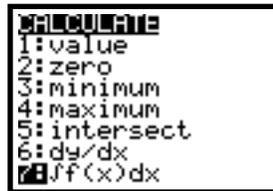


Figure 5: Choose the CALC menu, and select the integral calculation.

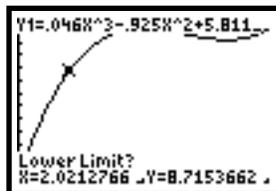


Figure 6: Use the left and right keys to select the lower limit.

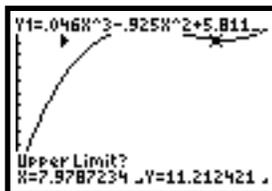


Figure 7: Use the left and right keys to select the upper limit.



Figure 8: Press ENTER and the calculator will approximate the definite integral.

- Use your calculator to complete the entries in the table below.

a	b	$\int_a^b v(t)dt$	Interpretation
1	5		
2	8		
0	9.73		

- Suppose that the function $s(t)$ was differentiated, and what you got was $v(t)$. What quantity would the function $s(t)$ represent? Find a possible formula for $s(t)$.

² The answer that your calculator provides is usually not the precise value for the area under a curve. The answer that your calculator provides is usually a close approximation of the area under the curve.

³ On a TI-83, you can also enter the end-points directly by entering the number for the lower end-point when the calculator asks for it (and pressing ENTER), and then entering the number for the upper end-point when the calculator asks for it (and pressing ENTER).